

# Bears and Beds

[Here is a video walkthrough of the solutions.](#)

The hot new Cal startup AirBearsnBeds has hired you to create an algorithm to help them place their customers in the best possible homes to improve their experience. They are currently in their alpha stage so their only customers (for now) are bears. Now, a little known fact about bears is that they are very, very picky about their bed sizes: they do not like their beds too big or too little - they like them just right. Bears are also sensitive creatures who don't like being compared to other bears, but they are perfectly fine with trying out beds.

## The Problem:

Given a list of Bears with unique but unknown sizes and a list of Beds with corresponding but also unknown sizes (not necessarily in the same order), return a list of Bears and a list of Beds such that that the  $i$ th Bear in your returned list of Bears is the same size as the  $i$ th Bed in your returned list of Beds. Bears can only be compared to Beds and we can get feedback on if the Bed is too large, too small, or just right. In addition, Beds can only be compared to Bears and we can get feedback if the Bear is too large for it, too small for it, or just right for it.

## The Constraints:

Your algorithm should run in  $O(N \log N)$  time on average. It may be helpful to figure out the naive  $O(N^2)$  solution first and then work from there.

## Solution:

Our solution will modify quicksort. Let's begin by choosing a pivot from the Bears list. To avoid quicksort's worst case behavior on a sorted array, we will choose a random Bear as the pivot. Next we will partition the Beds into three groups — those less than, equal to, and greater than the pivot Bear. Next, we will select a pivot from the Beds list. This is very important — our pivot Bed will be the Bed that is equal to the pivot Bear. Given that the Beds and Bears have unique sizes, we know that **exactly** one Bed will be equal to the pivot Bear. Next we will partition the Bears into three groups — those less than, equal to, and greater than the pivot Bed.

Next, we will "match" the pivot Bear with the pivot Bed by adding them to the Bears and Beds lists at the same index, which is as easy as just adding to the end. Finally, in the same fashion as quicksort, we will have two recursive calls. The first recursive call will contain the Beds and Bears that are **less** than their respective pivots. The second recursive call will contain the Beds and Bears that are **greater** than their respective pivots.